## Capacity and Constraint Management Exercises Solutions

## CCM1.



Phase 1: 25,000 grams/machine/hour
100 jars/hour $\Rightarrow 800$ jars/day
Phase 2: 15,000 grams/machine/hour*2 machines $=30,000$ grams/hour 120 jars/hour $\Rightarrow 960$ jars/day

Phase 3: 12,000 grams/machine/hour*3 machines $=36,000$ grams/hour 144 jars/hour $\Rightarrow 1152$ jars/day
Phase 4: 110 jars/hour $\Rightarrow 880$ jars/day
a) The "bottleneck" operation is operation 1 (phase 1 ).
b) Actual output $=780$ jars/day

Efficiency of the process = Actual output/ effective capacity of the bottleneck $=780 / 800=0.975$
c) Effective capacity of phase 3 is 800 jars/hour.
d) Capacity utilization of the machine installed at Phase 4 is given by:

Actual output/ design capacity of phase $4=780 / 880=0.8864$
e) Cycle time of the process $=1 /$ (capacity of the process) $=1 / 800 *$ $(8 * 60 * 60)=36$ seconds

## CCM2.

a)

Station 1: 20 parts/hour
Station 2: 15 parts/hour
Station 3: 20 parts/hour
The bottleneck is station 2.
b) The throughput time is $\rightarrow 6+4+3=13$ minutes
c) The weekly capacity is 8 hours/day $\times 5$ days/week $\times 15$ parts/hour $=$ 600 parts/week

## CCM3.

a) The process bottleneck corresponds to the task with the longest cycle time. The cycle time for each operation (work station) is given by:

| Operation | Process time <br> for 100 <br> bottles (in <br> seconds) | Number <br> of <br> machines | Cycle time |
| :--- | :---: | :---: | :---: |
| 1 | 60 | 3 | $(60 / 3)=20 \mathrm{sec}$ |
| 2 | 40 | 1 | $(40 / 1)=40 \mathrm{sec}$ |
| 3 | 20 | 2 | $(20 / 2)=10 \mathrm{sec}$ |
| 4 | 30 | 4 | $(30 / 4)=7.5 \mathrm{sec}$ |
| 5 | 60 | 5 | $(60 / 5)=12 \mathrm{sec}$ |

The process bottleneck is operation 2 (Bottling).
b) The throughput time of a lot of 100 bottles is equal to ( $60 \mathrm{sec}+40 \mathrm{sec}+$ $20 \mathrm{sec}+30 \mathrm{sec}+60 \mathrm{sec})=210 \mathrm{~seconds}$
c) Global yield $=(0.95 \times 0.93 \times 0.99 \times 0.91 \times 0.95)=0.7561$. Thus, the output at the end of the process is equal to: $10,000 \times 0.7561=7,561$ bottles.
d) The capacity of the bottleneck defines the capacity of the entire process. Thus, the maximum number of bottles per hour that it is possible to process is equal to: $(100 \times(3,600 / 40))=9,000$ bottles.

b) The bottleneck of the process is the stage 2 . Thus, the maximum number of units that SOFTGILLETTE is able to produce in a day 10,000 units.
c)
c1) The capacity utilization is given by (actual output /design capacity $) \Rightarrow$ actual output $=(0,45 \times 20,000)=9,000$ units.
c2) No, because the maximum number of units that SOFTGILLETTE is able to produce in a day is 10,000 units. Consequently, the capacity utilization of stage 1 could only increase to $50 \%$.
c3) As Production Manager you would be dissatisfied since the global yield is only $0,6561\left(0,9^{4}\right)$.
d) The company should not acquire the new machine. The acquisition of the new machine does not allow an increase in daily production of 6,000 units. The new bottleneck is stage 4.

## CCM5.

a)


Phase 1: 100 corn cobs/4 min/machine $\Rightarrow 100 *(60 / 4) * 2=3,000$ corn cobs /hour $\Rightarrow 3,000$ corn cobs/hora*8 hours $=24,000$ corn cobs $/$ day $=$ 12,000 packages/day

Phase 2: 200 corn cobs $/ 4 \mathrm{~min} /$ machine $\Rightarrow 480 \mathrm{~min}[8 \mathrm{~h} * 60 \mathrm{~m}] /(90+6)=5$ cycles $\Rightarrow$ Available time $=480-(5$ cycles* 6 minutes $)=450$ minutes $\Rightarrow$ $450 / 4=112.5$ cycles $\Rightarrow 112 * 200=22,400$ corn cobs/day $=11,200$ packages/day

Phase 3: $1 \mathrm{~min} /$ package/employee $\Rightarrow(60 / 1) * 25 * 8=12,000$ packages/day
Phase 4: $15 \mathrm{sec} / 15$ packages $\Rightarrow(3,600 / 15) * 15 * 8=28,800$ packages/day
b) The process bottleneck is phase 2(drying). The daily capacity is 11,200 packages.
c)

Every 1.5 hours each phase produces:
Phase 1: 4,500 corn cobs
Phase 2: 4,500 corn cobs
Phase 3: 2,250 packages $=4,500$ corn cobs
Phase 4: 5,400 packages $=10,800$ corn cobs
The process bottleneck are phases 1, 2 and 3 . Thus, it is not possible to accumulate stock between the different phases.
d) Utilization = Actual output/design capacity

Phase 1: 11,000/12,000 $=0.917$
Phase 2: 11,000/ 12,000 $=0.917$ design capacity $=12,000$
packages/day, effective capacity $=11,200$ packages/day
Phase 3: $11,000 / 12,000=0.917$
Phase 4: $11,000 / 28,800=0.382$
e) Global yield $=0.9 * 0.85^{3}=0.553<0.80 \Rightarrow$ I do not agree with the decision of the production manager.

## CCM6.


a) Cutting: 1 minute/unit or 60 units/hour

Drilling: 1 minute/unit or 60 units/hour Punching: 22 units/ hour or 2,7 minutes/unit
Welding: 3 minutes/unit or 20 units/hour
Assembly: each assembly 5 minutes/unit or 12 units/hour.
But the cycle time in overall Assembly $=5 / 2=2.5 \mathrm{~min} /$ unit
Therefore, the bottleneck is the slowest operation, which is Welding, at 3 min/unit.
b) The daily capacity is $8 * 20=160$ units/day.
c) Throughput time (time for a unit to go through the system) $=$ Maximum of $(1+1+3+5$, or $2.72+3+5) \rightarrow$
Maximum of $(10$ or 10.72$)=10.72 \mathrm{~min}$
d) Capacity utilization of the cutting machine is given by: Actual output/design capacity of cutting machine $=144 / 480=0.3$
e) Efficiency of the process = Actual output/ effective capacity of the bottleneck $=144 / 160=0.9$
f)

Stock: (22 units/hour - 20 units/hour) * 5 hours $=10$ units
Daily capacity: $20 * 5+10+2 * 20=150$ units/day

## Multiple choice questions

1. The ORANGE produces natural orange juice. The orange juice is bottled in 0.5 liters bottles. The production process is divided into 4 distinct phases, in accordance with the following table:

|  | Capacity/Machine/Hour | No. of <br> machines |
| :--- | :--- | :--- |
| Phase 1 | 1,000 liters | 2 |
| Phase 2 | 1,900 liters | 1 |
| Phase 3 | 750 liters | 3 |
| Phase 4 | 4,200 bottles | 1 |

The company works 8 hours a day. Assume that: the yield in each phase is $100 \%$; there are no stoppages; stock cannot be accumulated between the different phases of the process; there are no losses along the production process.

|  | Capacity/Machine/Hour | Capacity/day |
| :--- | :--- | :--- |
| Phase 1 | 1,000 liters | 16,000 liters |
| Phase $\mathbf{2}$ | $\mathbf{1 , 9 0 0}$ liters | $\mathbf{1 5 , 2 0 0}$ liters |
| Phase 3 | 750 liters | 18,000 liters |
| Phase 4 | 4,200 bottles | 16,800 liters |

What is the daily production capacity of ORANGE?

| 1 |  | 6,000 liters |
| :--- | :--- | :--- |
| 2 | $x$ | 15,200 liters |
| 3 |  | 16,800 liters |
| 4 |  | 18,000 liters |

If the company produces 15,000 liters per day, what is the utilization rate of the machine at Phase 4?

| 1 |  | $98.7 \%$ |
| :--- | :--- | :--- |
| 2 | x | $89.3 \%$ |
| 3 |  | $83.3 \%$ |
| 4 |  | $100 \%$ |

$(15,000 / 16,800)=0.8929$

Assume that the processing at Phase 1 is interrupted 30 minutes a day to perform preventive maintenance. Which of the phases represents the "bottleneck" operation of the orange juice production process?

| 1 | $X$ | Phase 1 |
| :--- | :--- | :--- |
| 2 |  | Phase 2 |
| 3 |  | Phase 3 |
| 4 |  | Phase 4 |


|  | Capacity/day |
| :--- | :--- |
| Phase 1 | 16,000 liters |
| Phase 2 | 15,200 liters |
| Phase 3 | 18,000 liters |
| Phase 4 | 16,800 bottles |

New capacity of phase 1: $\mathbf{7 . 5} \times \mathbf{2 , 0 0 0}$ liters $/$ hour $=15,000$ liters $/$ day
2. The production process of DEBULHA is comprised of four distinct phases, in accordance with the following table:

| Phase | Capacity/machine/hour | No. of machines |
| :--- | :---: | :---: |
| Phase 1 | 110 units | 1 |
| Phase 2 | 80 units | 2 |
| Phase 3 | 180 units | 1 |
| Phase 4 | 96 units | 1 |


| Phase | Capacity/hour | Capacity/day |
| :--- | :---: | :---: |
| Phase 1 | 110 | 880 units |
| Phase 2 | 160 | 1,280 units |
| Phase 3 | 180 | 1,440 units |
| Phase $\mathbf{4}$ | $\mathbf{9 6}$ | $\mathbf{7 6 8}$ units |


| What is the cycle time of the production process of DEBULHA? |  |  |
| :--- | :--- | :--- |
| 1 |  | 22.5 seconds |
| 2 | $x$ | 37.5 seconds |
| 3 |  | 20 seconds |
| 4 |  | None of the above |

$(1 / 96) \times 3600=37.5$ seconds

| Assuming that the company works 8 hours a day, and that the machine used in Phase 1 requires 2 hours of maintenance a day, what is the daily production capacity of DEBULHA? |  |  |
| :---: | :---: | :---: |
| 1 | x | 660 units |
| 2 |  | 1,440 units |
| 3 |  | 1,280 units |
| 4 |  | None of the |

New capacity of Phase 1: $110 \times 6=660$ units/day
3. GELI produces iced yoghurts, with three different flavors. Production process is divided into 4 phases, in accordance with the following table:

|  | Capacity/Machine/Hour | No. of <br> machines | Yield |
| :---: | :---: | :---: | :---: |
| Phase 1 | 100 liters | 4 | $95 \%$ |
| Phase 2 | 150 liters | 2 | $90 \%$ |
| Phase 3 | 125 liters | 4 | $94 \%$ |
| Phase 4 | 280 liters | 1 | $90 \%$ |

The company works 8 hours a day.
Assume that there are no breaks or stoppages:

|  | Capacity/ Hour | Capacity/ day |
| :---: | :---: | :---: |
| Phase 1 | 400 liters | 3,200 liters |
| Phase 2 | 300 liters | 2,400 liters |
| Phase 3 | 500 liters | 4,000 liters |
| Phase 4 | 280 liters | $\mathbf{2 , 2 4 0}$ liters |


| Which of the phases represents the "bottleneck" operation of the iced yoghurts  <br> production process at GELI?  |
| :--- |
| 1 |
|  |
| 2 |$\quad$| Phase 1 |  |
| :--- | :--- |
| 3 |  |
| 4 | Phase 2 |


| If the company produces 2,100 litres per day, what is the utilization rate of the |  |  |
| ---: | ---: | :--- |
| machine at Phase 4? |  |  |
| 1 |  | $87.5 \%$ |
| 2 | $X$ | $93.8 \%$ |
| 3 |  | $93.3 \%$ |
| 4 |  | $100 \%$ |

$(\mathbf{2 , 1 0 0} / 2,240)=0.9375$

| What is the yield of the iced yoghurt production process at GELI? |  |  |
| ---: | ---: | :---: |
| 1 | X | $72.33 \%$ |
| 2 |  | $90.00 \%$ |
| 3 |  | $95.00 \%$ |
| 4 |  | $92.25 \%$ |

Assume that the processing at Phase 2 is interrupted for 30 minutes to clean the machines each time the production of a different flavor is started, and that at the end of the day the machines are left clean for the next day.

| What is the daily production capacity of GELI? |  |  |
| ---: | ---: | ---: |
| 1 |  | 2,400 liters |
| 2 |  | 800 liters |
| 3 | $X$ | 1,950 liters |
| 4 |  | 4,000 liters |

Daily capacity of phase $=(8-3 \times 0.5) \times 300=1,950$ liters
4. The company BERRIES exports red fruits for several countries. The production process is divided into four phases:

|  | Capacity/machine |
| :--- | :---: |
| Washing | 270 units every 5 minutes |
| Drying | 200 every 5 minutes |
| Packaging | 40 packages of two units every minute |
| Labeling | 30 packages of two units every minute |

Assume that the company operates 8 hours/day. Assume that the yield in each phase is $100 \%$; stock cannot be accumulated between the different phases of the process; and that there are no o breaks or stoppages.

| Which of the phases represents the "bottleneck" of the production process of BERRIES? |  |  |
| :---: | :---: | :---: |
| 1 |  | Washing |
| 2 | x | Drying |
| 3 |  | Packaging |
| 4 |  | Labeling |


|  | Capacity/hour |
| :--- | :---: |
| Washing | 3,240 units |
| Drying | $\mathbf{2 , 4 0 0}$ units |
| Packaging | 4,800 units |
| Labeling | 3,600 units |

If the company produces 6,000 packages per day, what is the utilization rate of the washing machine?

| 1 | $x$ | $46,3 \%$ |
| ---: | ---: | :--- |
| 2 |  | $28,4 \%$ |
| 3 |  | $41,7 \%$ |
| 4 |  | $62,5 \%$ |

$6,000 /[(3,240 / 2) \times 8]=0.463$

Assuming that the company purchased a new drying machine, how much would increase the capacity of the production process?

| 1 |  | There would be no change |
| ---: | ---: | :--- |
| 2 |  | 19,200 packages per day |
| 3 |  | 9,600 packages per day |
| 4 | x | 3,360 packages per day |


|  | Capacity/hour |
| :--- | :---: |
| Washing | $\mathbf{3 , 2 4 0}$ units |
| Drying | 4,800 units |
| Packaging | 4,800 units |
| Labeling |  |
| $\mathbf{3 , 2 4 0 - 2 , 4 0 0 )}=\mathbf{8 4 0}$ <br> packages per day | units/hour $\Rightarrow \mathbf{6 , 7 2 0}$ units/day $\Rightarrow \mathbf{3 , 3 6 0}$ |

