



Financial Markets and Investments

Raquel M. Gaspar

4th February 2019

Duration: 45min

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Name: _____ Number: _____

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Computer Exam

GROUP IV (60 points)

You must hand-in your **EXCEL file** (*20190111_FMI_StudentNumber_code.xlsx*).

In the Excel file highlight final answers and briefly reproduce them below (using the available space).

Suppose you can invest in three risky assets A, B, C and deposit without risk at an interest rate of 3% or borrow at a rate of 7%. In addition we have the following estimates about the risky assets: $\bar{R}_A = 15\%$, $\bar{R}_B = 10\%$, $\bar{R}_C = 20\%$, $\sigma_A = 10\%$, $\sigma_B = 6\%$, $\sigma_C = 15\%$, $\rho_{AB} = 0.5$, $\rho_{BC} = 0.25$, and $\rho_{AC} = 0$.

1. Consider the above described market conditions. Represent in the mean-variance space (σ, \bar{R}) :

(a) The basic assets and determine the mean-variance inputs. [5p]

(b) The investment opportunity set (IOS) and the efficiency frontier (EF) for the scenarios:

(i) when we consider just combinations of the three risky assets. [7.5p]

(ii) when we consider combinations of the three risky assets with deposit and borrowing rates. [7.5p]

(c) Conclude about the efficiency of assets A, B and C ?..... [2.5p]

2. Suppose the returns of A, B, C are normally distributed.
- (a) For the risky asset A , compute $\Pr(R_A \leq 0\%)$ [5p]

 - (b) Consider combinations of the three risky assets with deposit and borrowing rates. Determine and represent in the mean-variance space (σ, \bar{R}) (same graph as Question 1):
 - (i) All portfolios for which $\Pr(R_p \leq 0\%) \leq \Pr(R_A \leq 0\%)$ [7.5p]

 - (ii) Identify the so-called Telser portfolio that satisfies the above restriction. [5p]
3. Suppose you would like to apply a constant correlation model (CCM) for in the described setup.
- (a) Determine the constant correlation parameter ρ and the mean-variance inputs under the CCM assumption. [5p]

 - (b) Find out the new tangent portfolios – $T1$ (CCM) and $T2$ (CCM) – under the model assumption. [5p]

 - (c) Represent the true envelop hyperbola of Question 1 and the CCM model implied envelop hyperbola and explain to which kind of investor would model risk be bigger? [10p]