CHAPTER 2: Ricardian model:

- Only one factor of production: labor
- Labor is mobile across sectors

➔ Everyone gains from trade

CHAPTER 3:

- We have more than one factor of production
- What if these factors are NOT mobile across sectors?

➔ Then there may be losers and winners!
(unequal effects of globalization)

CHAPTER 3:

- Setting up the specific factor model
- Change in production and employment
- Aggregate gains from trade
- Effect on labor wages
- Effect on returns to K and Land

1 Setup of Factor-Specific Model

- Two countries: Home and Foreign.
- Two sectors: Manufacturing and Agriculture

- Manufacturing uses labor and **capital**
- Agriculture uses labor and **land**.

1 Setup of Factor-Specific Model

- Two countries: Home and Foreign.
- Two sectors: Manufacturing and Agriculture

- Manufacturing uses labor and **capital**
- Agriculture uses labor and **land**.

- *Diminishing returns* for labor in each industry:

  The marginal product of labor declines if the amount of labor used in the industry increases.

1 Setup of Factor-Specific Model

Alternative interpretation

NOTE:

We can also use the same model and interpret "capital" and "land" as fixed labor:

Capital: equivalent to Labor that is stuck in manufacturing

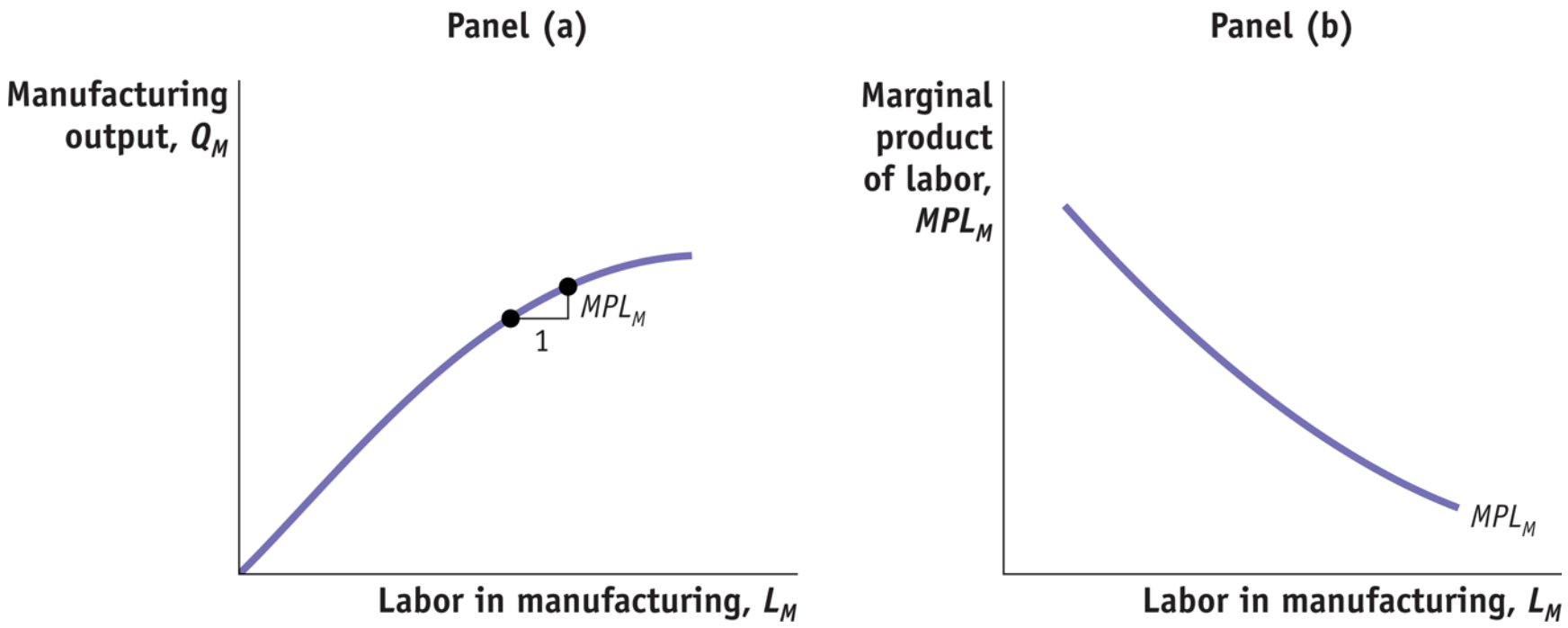
Land: equivalent to Labor that is stuck in Agriculture

Labor: Labor that is mobile across industries

→ Three types of labor depending on its mobility

1 Setup of Factor-Specific Model

Diminishing returns for labor in each industry:



(same for Agriculture: MPL decreases with production)

1 Setup of Factor-Specific Model

Example of production function:

- Manufactures: $Y_M = a_M K^{1/3} L_M^{2/3}$
- Agriculture: $Y_A = a_A T^{1/3} L_A^{2/3}$

Marginal product of Labor:

- MPL in Manufactures: $MPL_M = \frac{2}{3} a_M \left(K/L_M\right)^{1/3}$

  Increases with K/L_M

- MPL in Agriculture: $MPL_A = \frac{2}{3} a_A \left(T/L_A\right)^{1/3}$

  Increases with T/L_A

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Marginal product of Capital and Land:

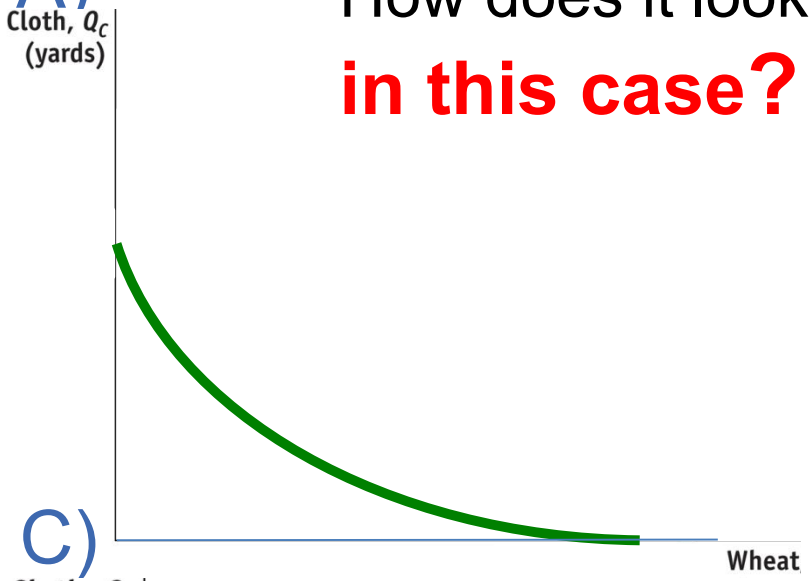
- MPK in Manufactures: $MPK = \frac{1}{3} a_M \left(L_M / K\right)^{2/3}$
  Decreases with K/L_M
- MPT in Agriculture: $MPT = \frac{1}{3} a_A \left(L_A / T\right)^{2/3}$
  Decreases with T/L_A

Production Possibility Frontier:

How does it look like

in this case?

A)



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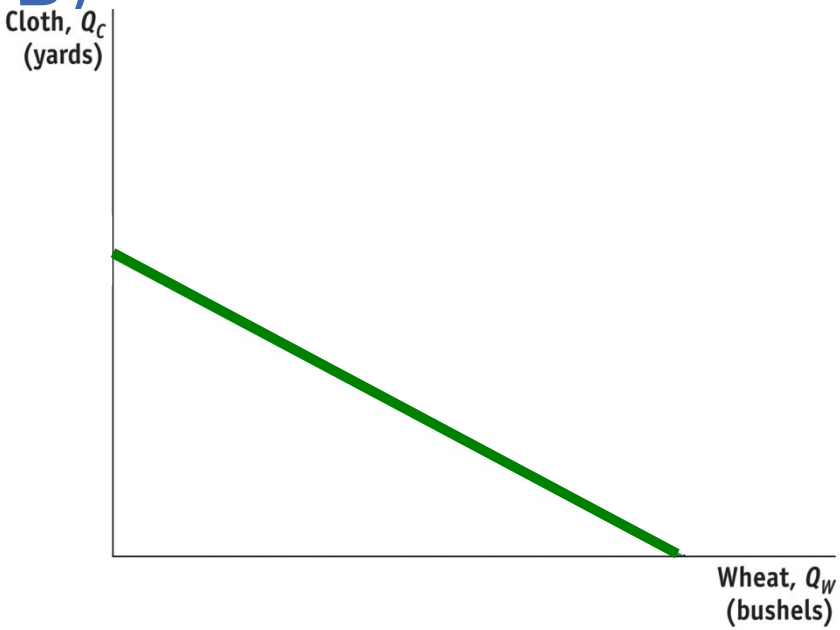
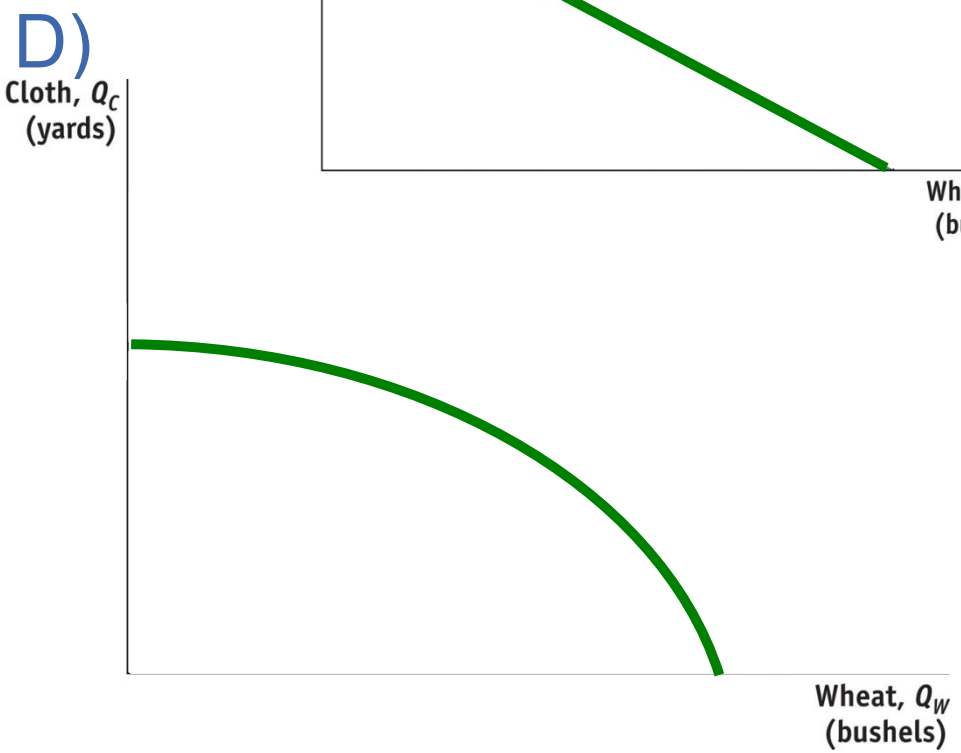


C)

D)



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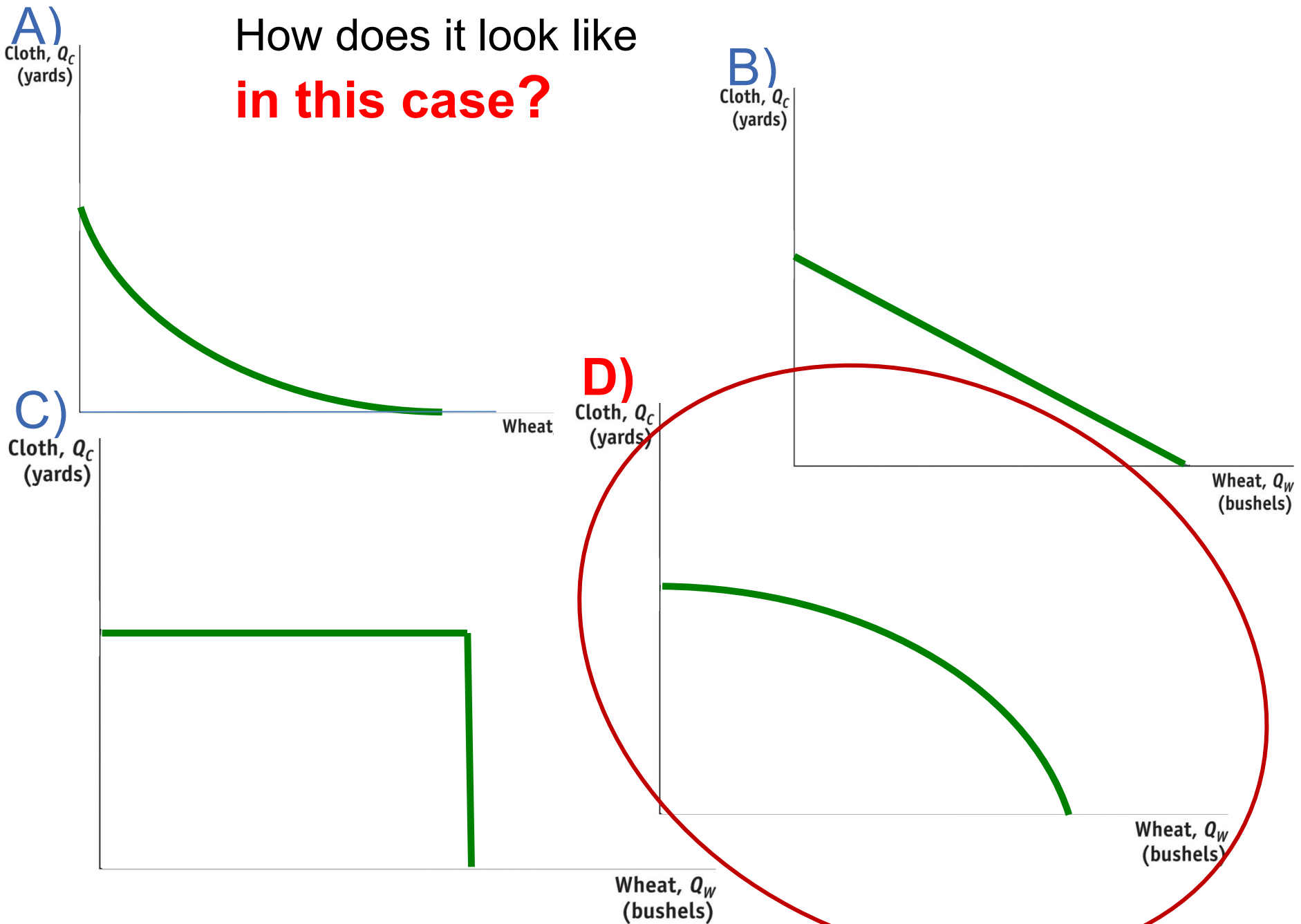


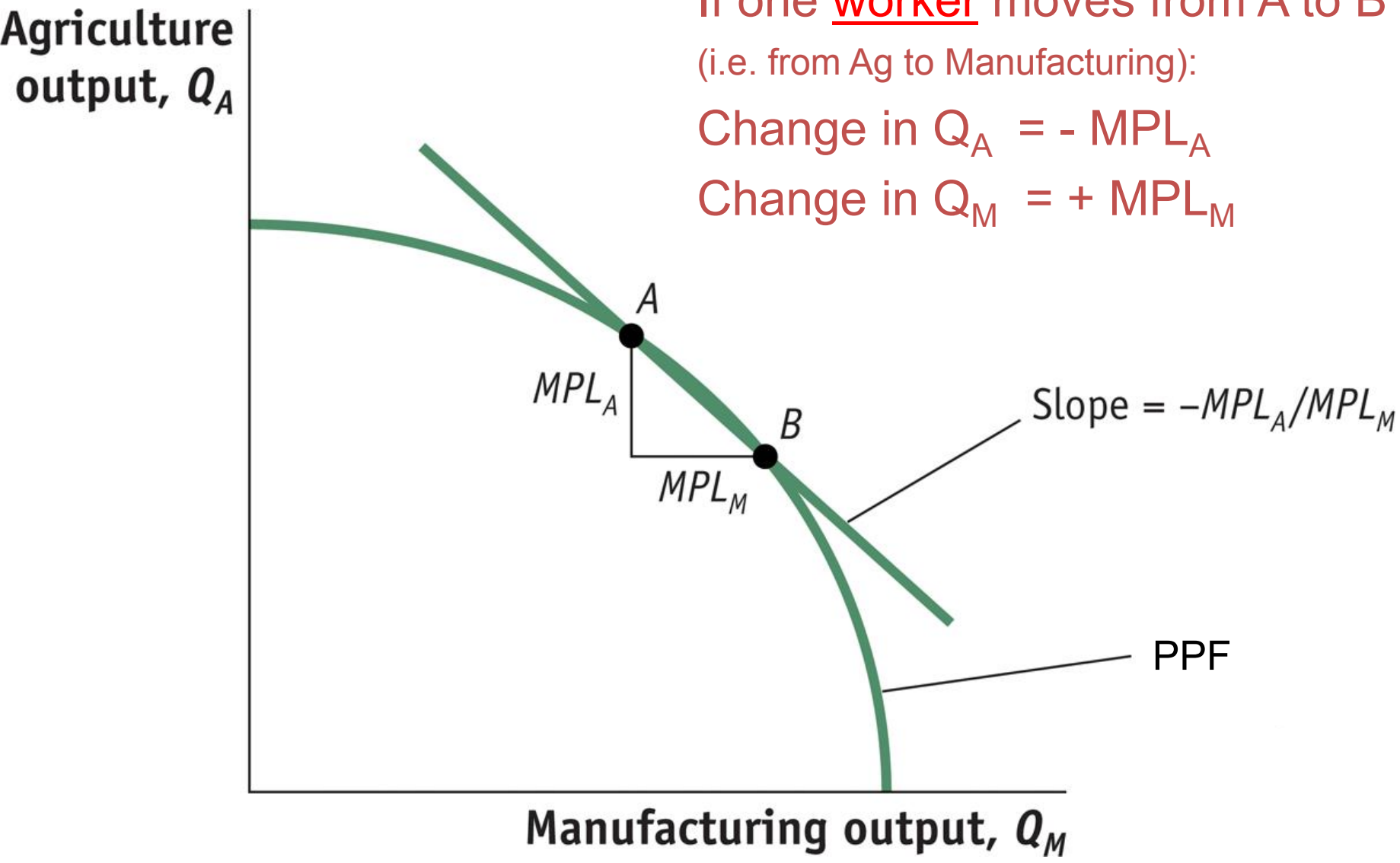
Slope of PPF reflects the opportunity cost of manuf. output:

If one worker moves from A to B

(i.e. from Ag to Manufacturing):

Change in Q_A = - MPL_A

Change in Q_M = + MPL_M



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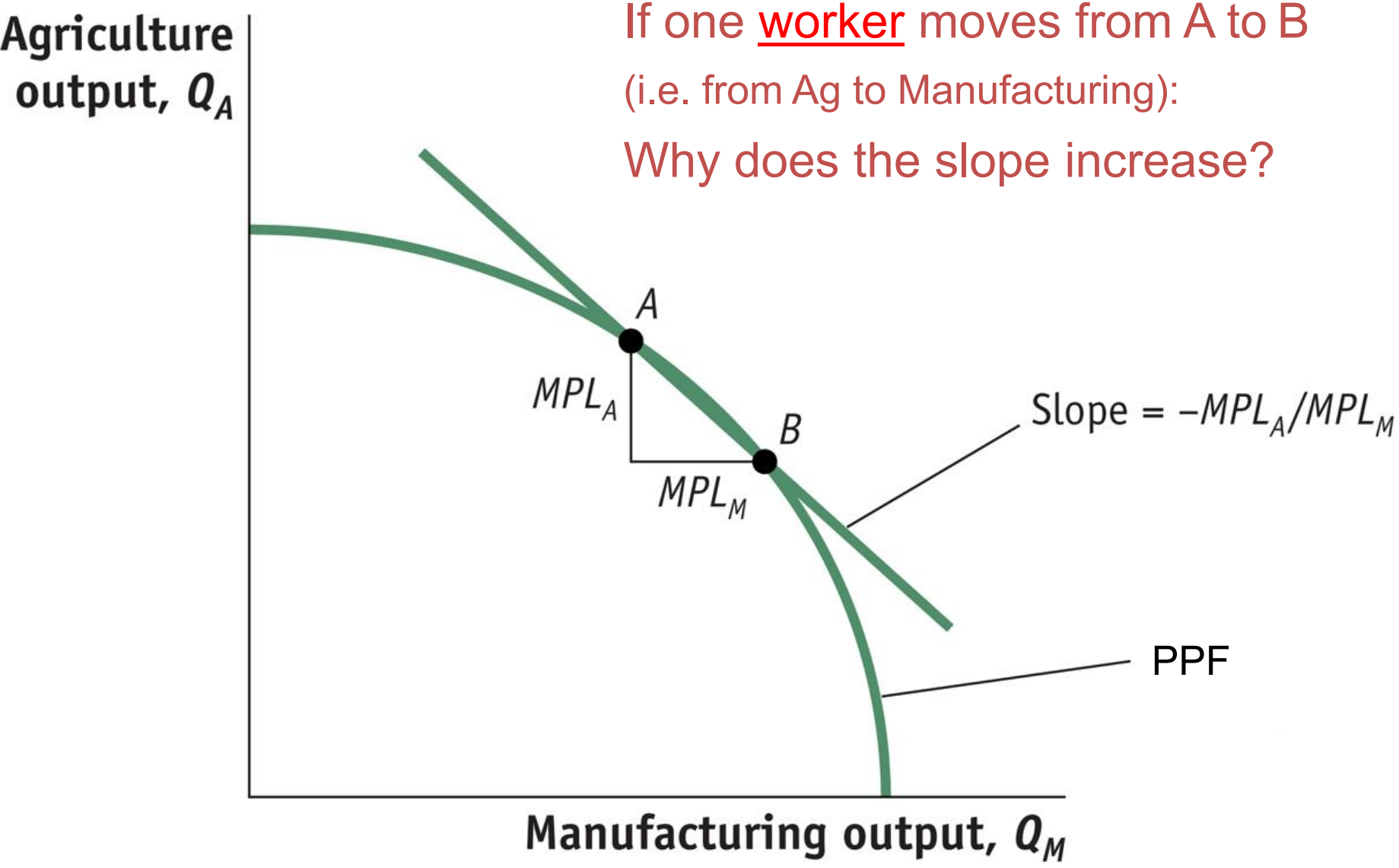
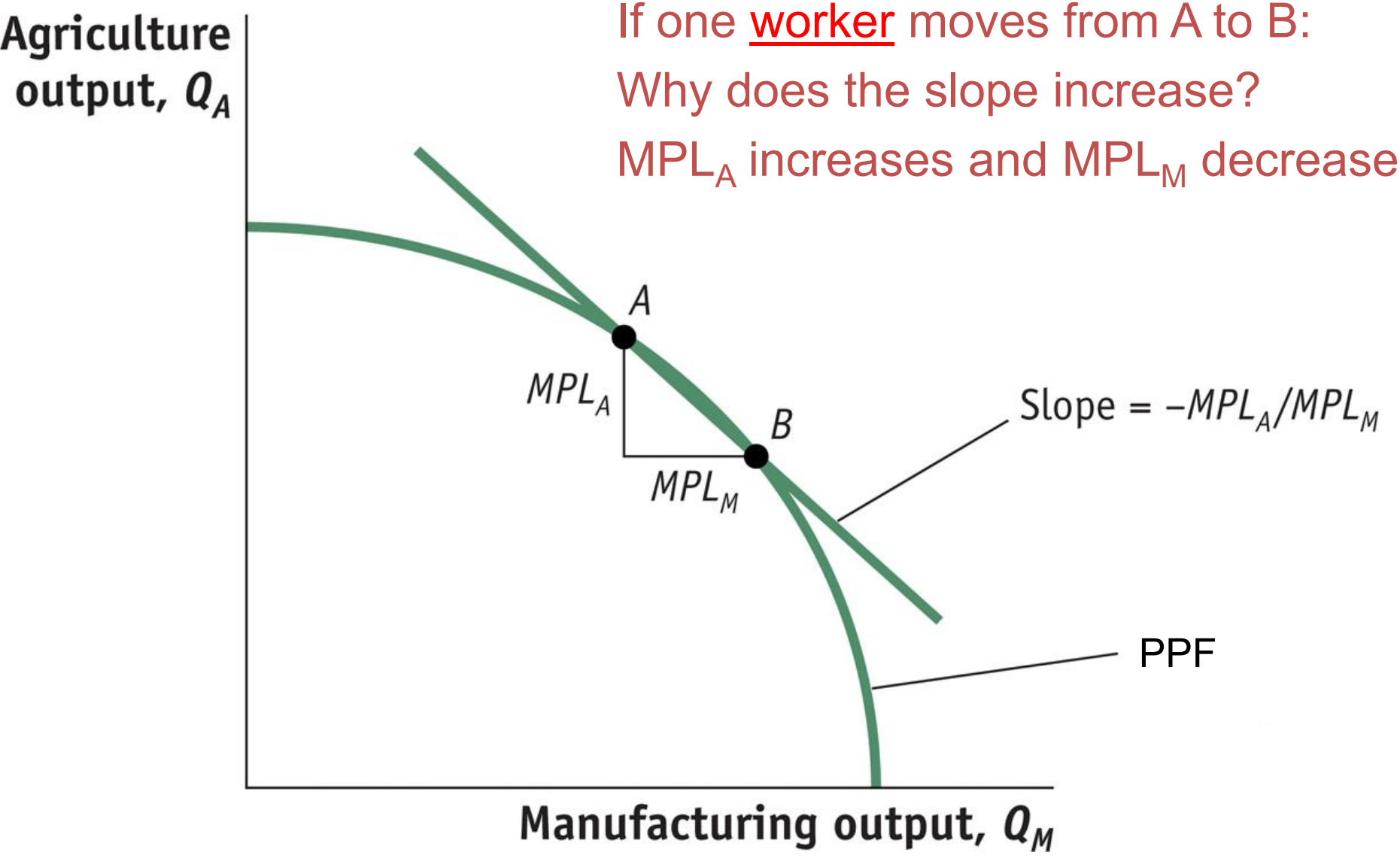


Slope of PPF reflects the opportunity cost of manuf. output:

If one worker moves from A to B:

Why does the slope increase?

MPL_A increases and MPL_M decreases



1 Setup of Factor-Specific Model

Slope of PPF

Why does the slope increase from point A to B?

- Slope equals MPL_A/MPL_M
- As L_A decreases, MPL_A increases
- As L_M increases, MPL_M decreases

➔ Hence the ratio increases!

1 Setup of Factor-Specific Model

Labor market and relative prices

- Labor is mobile across sectors
- Hence **wages** are equalized:

$$W = P_M \cdot MPL_M$$

$$W = P_A \cdot MPL_A$$

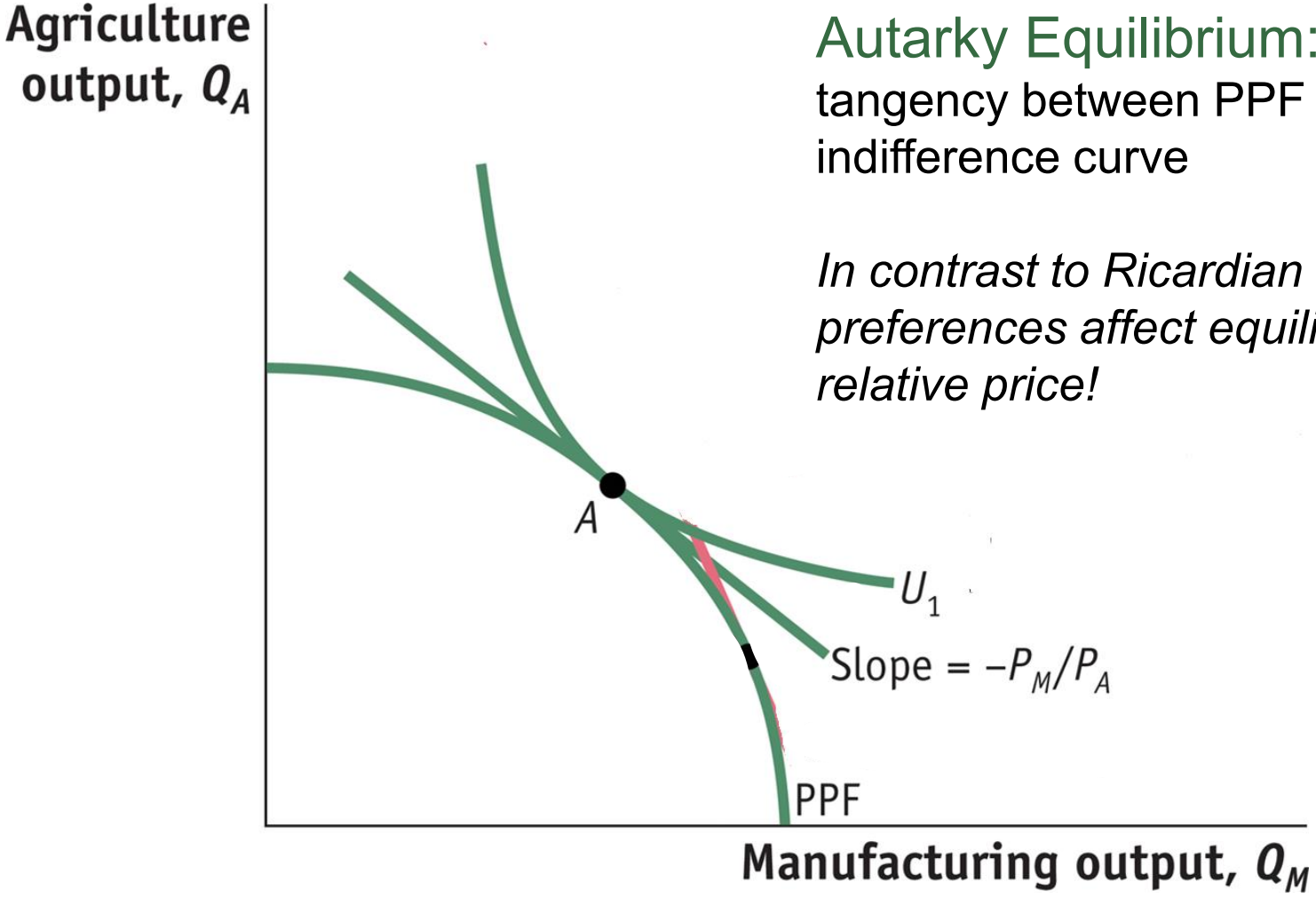
- And should be the same across sectors. Hence:

$$P_M / P_A = MPL_A / MPL_M$$

= Slope of the PPF

1 Setup of Factor-Specific Model

Equilibrium in Autarky:



Autarky Equilibrium:

tangency between PPF and indifference curve

In contrast to Ricardian model, preferences affect equilibrium relative price!

CHAPTER 3

- Setting up the specific factor model

→ Change in production and employment

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2 Effect of Trade on production

The Foreign Country

- Let us assume that Home has a comparative advantage in manufacturing

⇔ *Equivalent to assuming that the Home no-trade relative price of manufacturing is lower than Foreign rel. price:*

$$(P_M / P_A) < (P^*_M / P^*_A).$$

New world price?

2 Effect of Trade on production

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⇔ *Equivalent to assuming that the Home no-trade relative price of manufacturing is lower than Foreign rel. price:*

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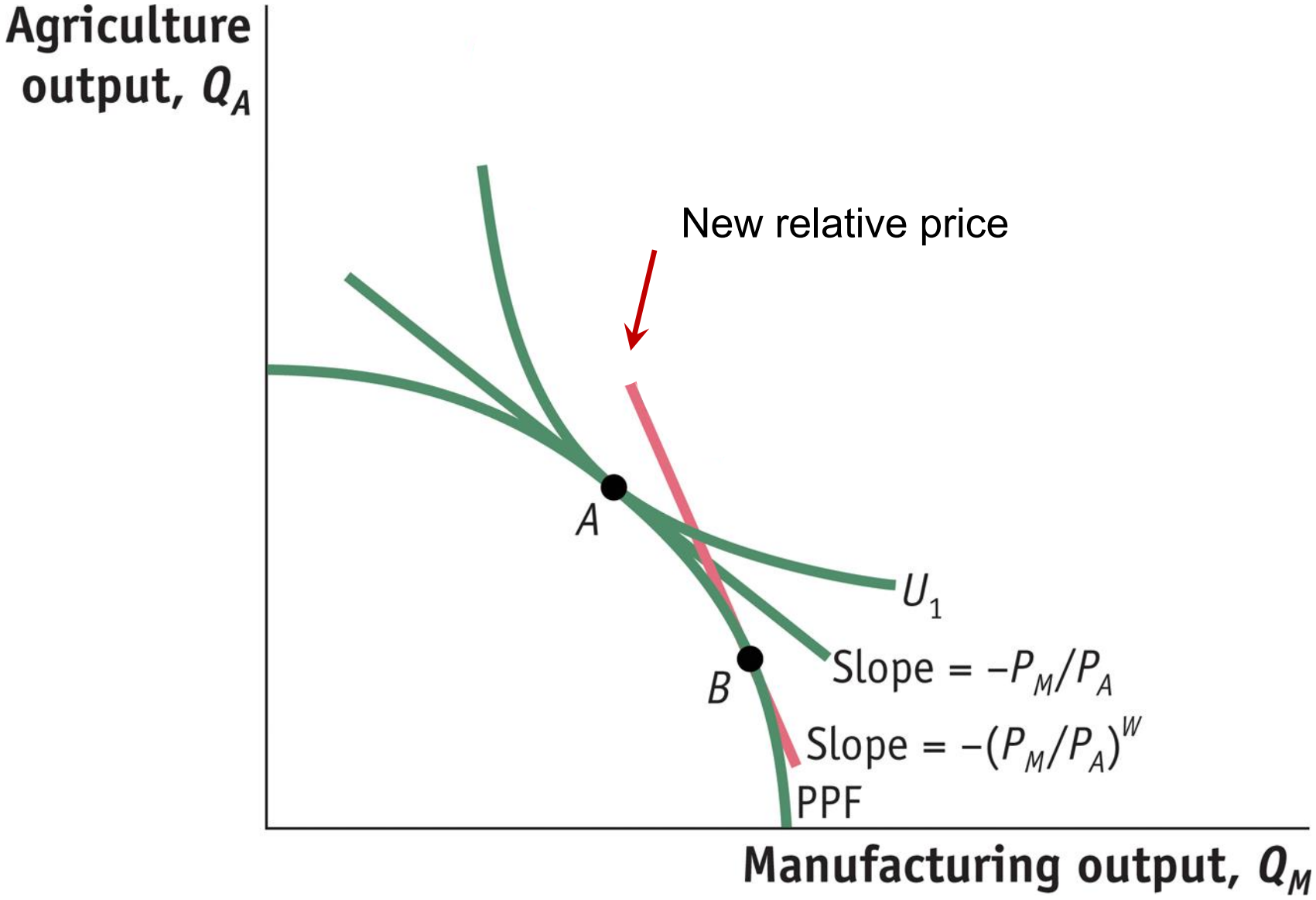
New world price:

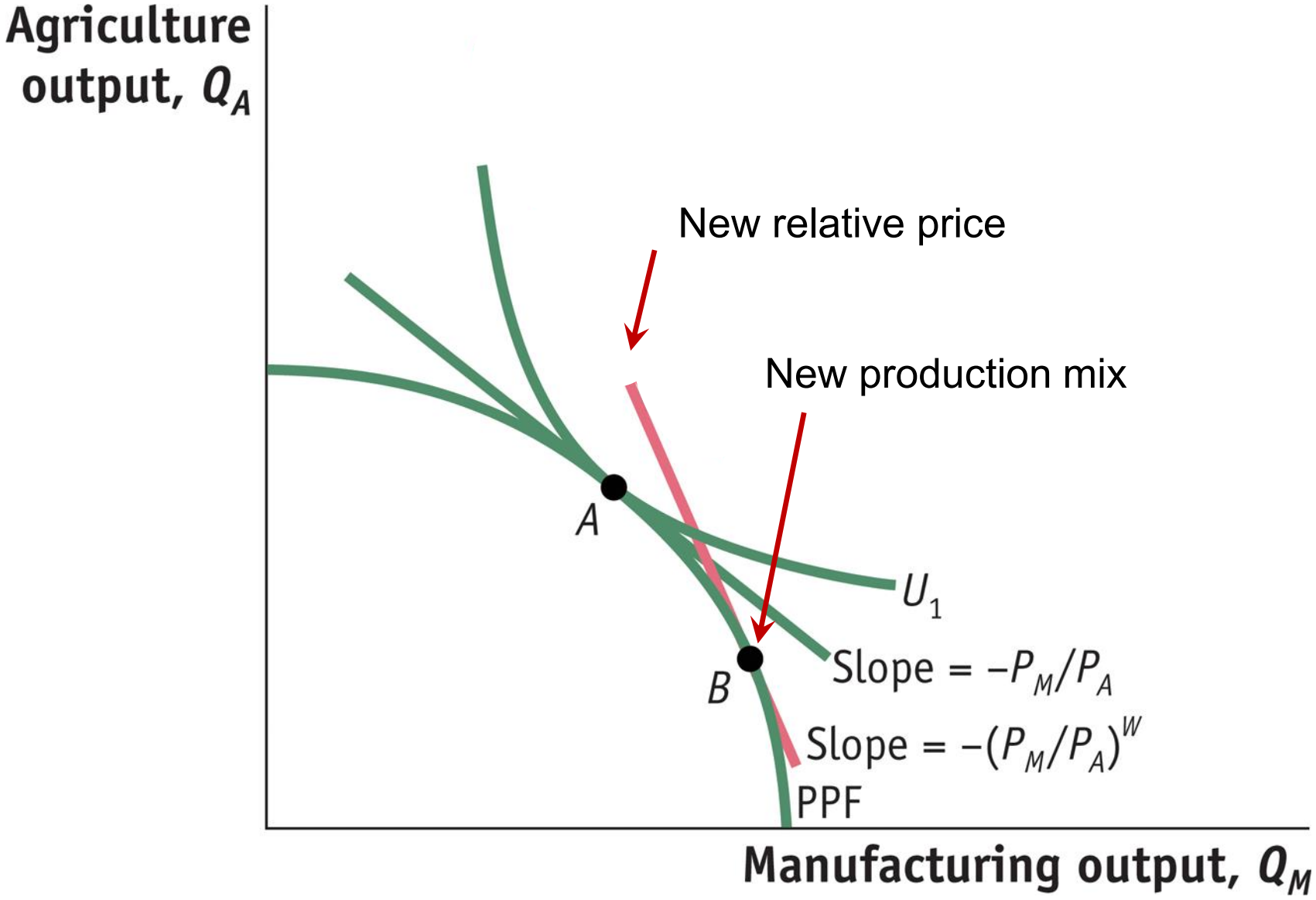
$$(P_M / P_A) < \mathbf{(P_M / P_A)^W} < (P^*_M / P^*_A).$$

Effect on production?

2 Effect of Trade on production



2 Effect of Trade on production



2 Effect of Trade on production

Quantitative example:

In the next example with Cobb-Douglas production,
I would like to show you:

- How to link ratio of MPL to employment
- How to link ratio of MPL to prices

➔ How to link employment to prices

2 Effect of Trade on production

Quantitative example:

- Manufactures: $Y_M = a_M K^{1/3} L_M^{2/3}$
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Marginal product of Labor:

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→ Slope of PPF: $Slope = \frac{MPL_A}{MPL_M} = \frac{a_A T^{1/3}}{a_M K^{1/3}} \left(\frac{L_M}{L_A}\right)^{1/3}$

2 Effect of Trade on production

Quantitative example:

- Slope of PPF: $$Slope = \frac{MPL_A}{MPL_M} = \frac{a_A T^{1/3}}{a_M K^{1/3}} \left(\frac{L_M}{L_A} \right)^{1/3}$$

Constant term x Employment ratio

2 Effect of Trade on production

Quantitative example:

- Slope of PPF: $Slope = \frac{MPL_A}{MPL_M} = \frac{a_A T^{1/3}}{a_M K^{1/3}} \left(\frac{L_M}{L_A} \right)^{1/3}$
- At equilibrium: $Slope = \frac{P_M}{P_A}$
- How does a change in prices affects L_A / L_M?

2 Effect of Trade on production

Quantitative example:

- Slope of PPF: $Slope = \frac{MPL_A}{MPL_M} = \frac{a_A T^{1/3}}{a_M K^{1/3}} \left(\frac{L_M}{L_A} \right)^{1/3}$
- At equilibrium: $Slope = \frac{P_M}{P_A}$
- How does a change in prices affects L_A / L_M?

$$\frac{P_M}{P_A} = \frac{a_A T^{1/3}}{a_M K^{1/3}} \left(\frac{L_M}{L_A} \right)^{1/3} \Rightarrow \quad \frac{L_A}{L_M} = \frac{a_A^3 T}{a_M^3 K} \left(\frac{P_A}{P_M} \right)^3$$

If the relative price of manufacturing goods increases by 1%, relative employment in manufacturing L_M / L_A increases by:

a) A negative percentage, i.e. decreases!!

b) Increases by 1%

c) Increases by 0.33%

d) Increases by 3%

Answer:

If the relative price of manufacturing goods increases by 1%, relative employment in manufacturing L_M / L_A increases by:

Some useful algebra…

Quantifying changes with exponents, etc.:

- Suppose $Z = a\ X^{\beta}$
- If X increases by 1% then Z increases by β %.
- If Z increases by 1% then X increases by 1/β %.

- Suppose $Z = X\ .\ Y$
- If X increases by x %
- If Y increases by y %

→ Then Z increases by: x+y %.

CHAPTER 3

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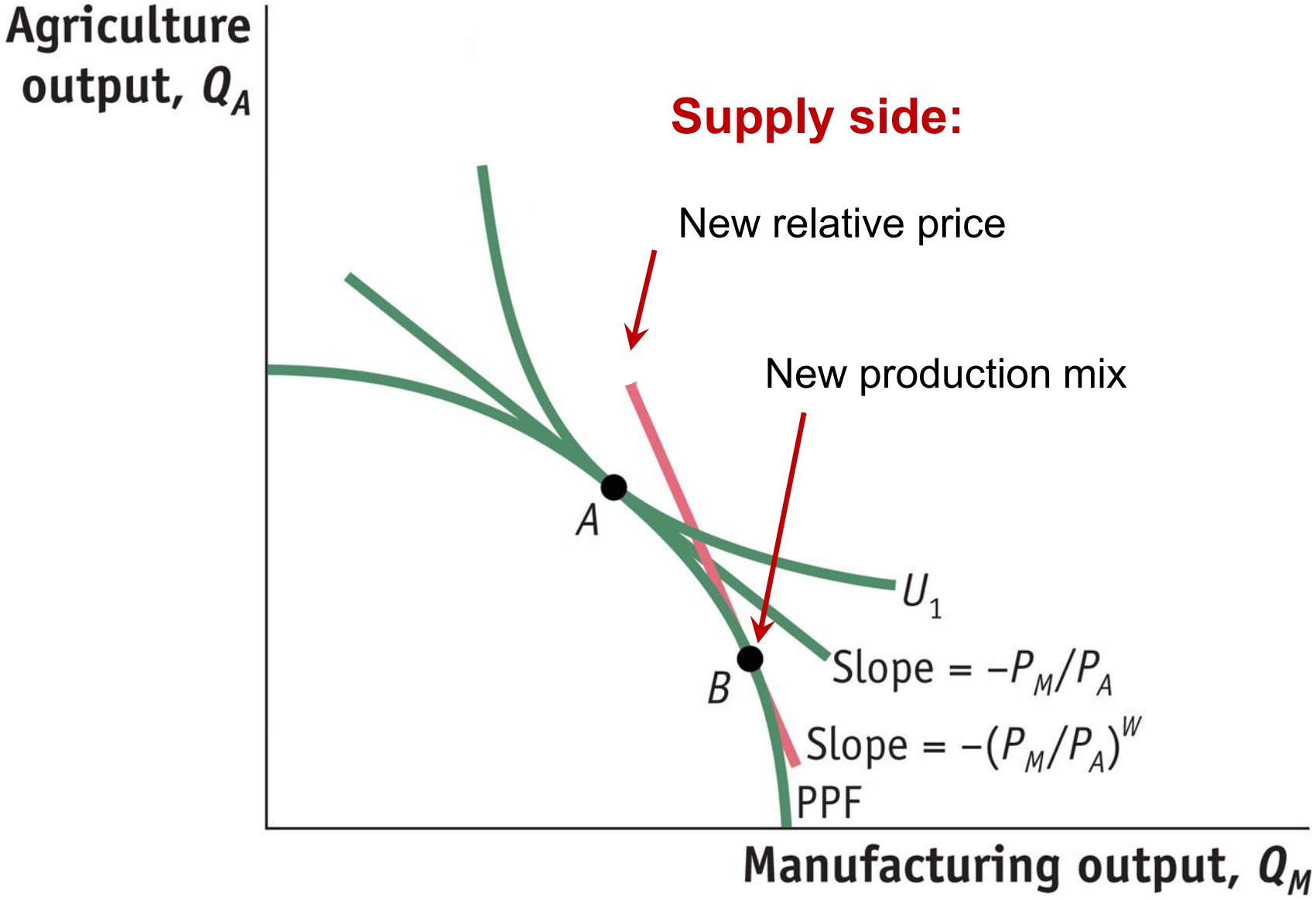
3 Gains from Trade

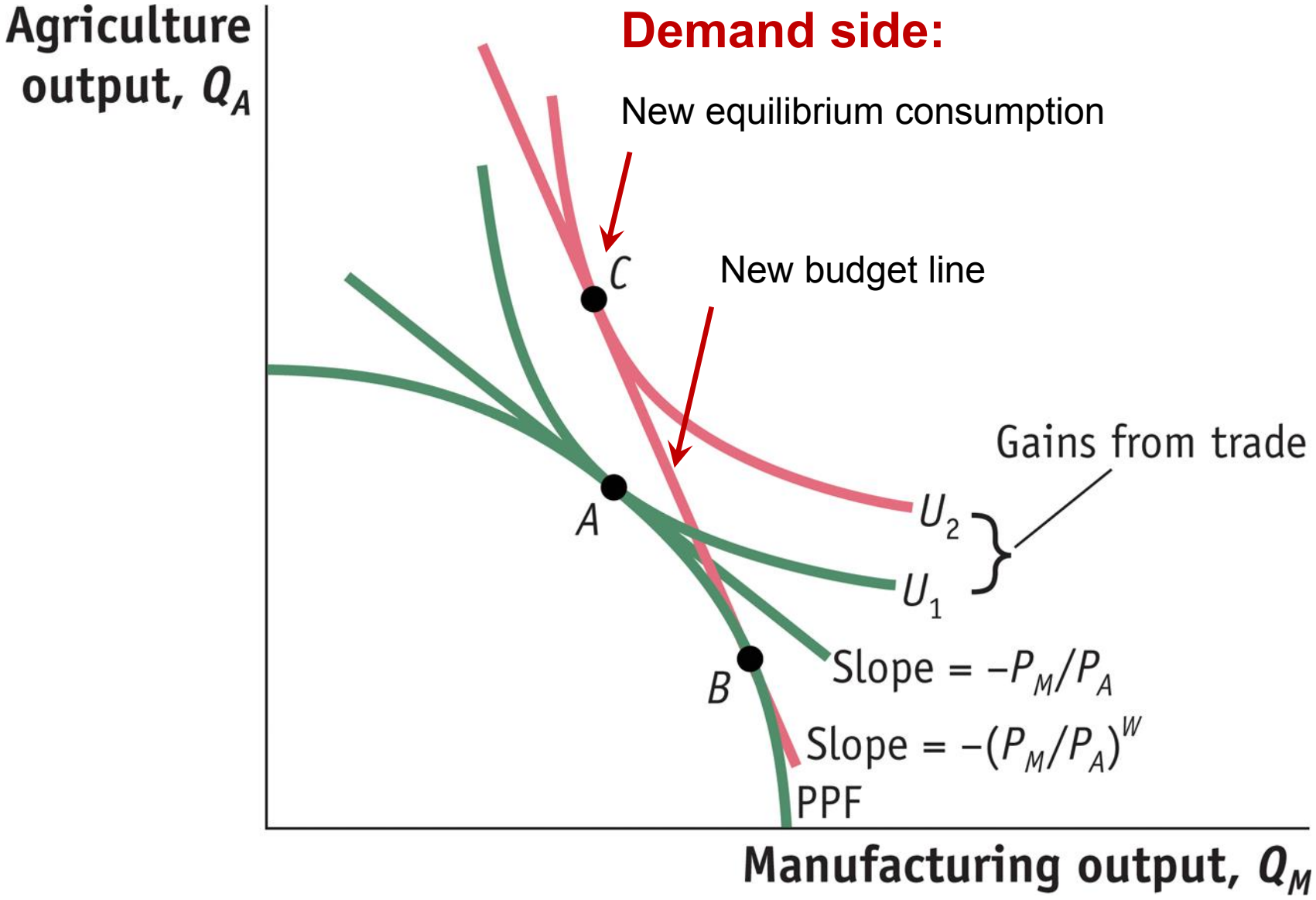
Overall Gains from Trade?

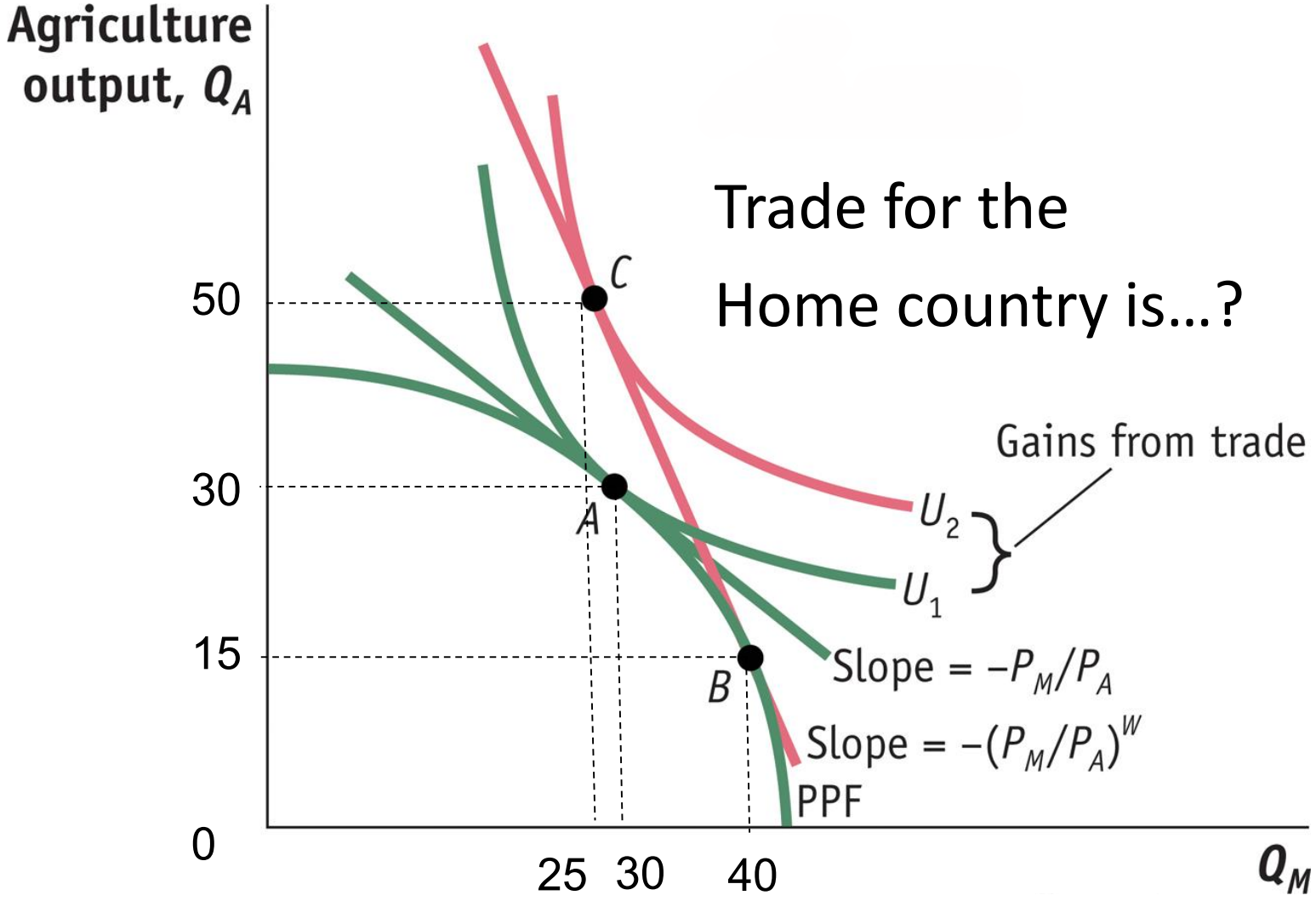
- We start by looking at the average consumer

3 Gains from Trade



3 Gains from Trade





Trade for the Home country is…?

a) $X_M = 5$, $M_A = 20$; b) $X_M = 20$, $M_A = 20$;

c) $X_M = 15$, $M_A = 35$; d) $X_M = 20$, $M_A = 15$;

3 Gains from Trade

Overall Gains from Trade

So far, things are not very different from Ricardo:

New world price:

$$(P_M/P_A) < (P_M/P_A)^W < (P^*_M/P^*_A).$$

- Manufacturing goods are exported,
- Agricultural goods are imported
- For an average consumer, Home is better off with trade.

3 Gains from Trade

Gains for everyone?

- When there are gains from trade *on average*, it does not imply that everyone gains from trade

- The interesting part of the model is to examine what happens to the return to each factor:
  1) Labor wage
  2) Rental rate of Capital and Land

  Do workers gain? Do land and capital owner gain?